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Name....

B.TECH. DEGREE EXAMINATION, MAY 2014

Seventh Semester

Branch: Electrical and Electronics Engineering

CONTROL SYSTEM—II (E)

(Old Scheme—Prior to 2010 Admissions—Supplementary)

Time: Three Hours

Maximum: 100 Marks

Part A

Answer all questions.

Each question carries 4 marks.

- 1. Draw the circuit of a lag compensator and derive its transfer function.
- 2. Sketch and explain the Bode plots of a lead compensator.
- 3. Find the z transform of cos wt.
- 4. Determine the inverse z transform of $\frac{z-4}{(z-1)(z-2)^2}$.
- 5. Sketch the input-output characteristics of a dead zone and saturation non-linearity and write down its describing function.
- 6. Explain the concept of phase plane analysis.
- 7. What is state transition matrix? What are its properties?
- 8. Prove the non-uniqueness of state models of a system.
- 9. Derive the relation between transfer function and state model.
- 10. Obtain a state model for the system described by y(k+2) + 6y(k+1) + 4y(k) = u(k).

 $(10 \times 4 = 40 \text{ marks})$

Part B

Each question carries 12 marks.

11. The open loop transfer function of a unity feedback system is $\frac{k}{s(s+2)^2}$. Design a lead compensator to have a phase margin at least 50° and velocity error co-efficient 20s⁻¹.

(12 marks)

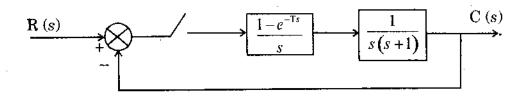
Or

12. Explain the design of a lag lead compensator using root locus technique.

(12 marks)

Turn over

13. Find the closed loop response of the system shown below. Input is unit step and T = 1 sec.



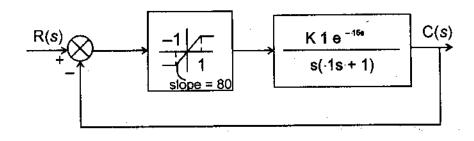
(12 marks)

Or

14. Explain Jury's stability test. Illustrate with an example.

(12 marks)

15. Investigate the stability of the system shown below:



(12 marks)

Or

16. Construct the phase trajectory of the system given by $\frac{dx_2}{dx_1} = \frac{4x_1 + 3x_2}{x_1 + x_2}$. Comment on its stability.

(12 marks)

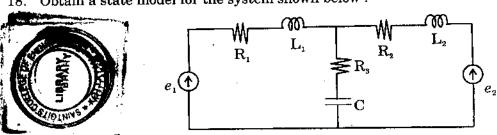
17. Solve the state equations given by:

$$\dot{X} = \begin{bmatrix} 0 & 0 & -2 \\ 0 & 1 & 0 \\ 1 & 0 & 3 \end{bmatrix} X, \ X(0) = \begin{bmatrix} 0 & 1 & 0 \end{bmatrix}^{T}.$$

(12 marks)

Or

18. Obtain a state model for the system shown below:



(12 marks)

19. A system is given by $\dot{X} = \begin{bmatrix} -1 & 0 & 0 \\ 1 & -2 & 0 \\ 2 & 1 & -3 \end{bmatrix} X + \begin{bmatrix} 10 \\ 1 \\ 0 \end{bmatrix} u$. Design a state feedback controller to place the closed poles at $-1 \pm j2$, -6.

Or

20. Obtain a state model for a system given by y(k+2) + y(k+1) + 0.16y(k) = u(k+1) + 2u(k) and find the state transition matrix.



 $[5 \times 12 = 60 \text{ marks}]$