Course	Course name	L-T-P-	Year of		
code		Credits	Introduction		
AE462	OPTIMAL CONTROL SYSTEM	3-0-0-3	2016		
Prerequis	ite : Nil				
Course O	bjectives				
• To	formulate various types of optimal control problems				
• To	learn calculus of variations and dynamic programming	for solving	optimal control		
pro	blems	-			
Syllabus	ADI ARIDI IL KA		A		
Optimal c	ontrol problem formulation. Dynamic optimization-	Unconstrain	ed Problems -		
Calculus of	of Variations. Continuous time and Discrete time Linea	ar Quadrati	c regulator and		
Tracking problems-LQG Problems. Constrained Problems- Pontryagin's Minimum Principle-					
Dynamic Programming-Constrained Problems.					
Expected	outcome	Y			
The stude	nts will be able to	A	_		
i. Understand the concepts related to calculus of variations and optimal control theory					
ii. Ap	ply the optimal control concepts to formulate and solve	various type	es of control		
pro	oblems				
<b>Text Bool</b>	ΣS:				
1. Do	nald E. Kirk, Optimal Control Theory: An Introduction,	Prentice-Ha	all networks		
ser	ies, 1970				
2. M.	Gopal, "Modern Control System Theory", Wiley Easterr	, New Dell	ii, second		
Ed	ition, 1993	16			
Reference	s:				
1. Br	an D O Anderson and John B Moore, "Optimal Control	- Linear Qu	adratic		
Me	ethods", Prentice Hall of India, 1991				
2. De	sineni Subbaram Naidu, Optimal Control System, CRC j	oress			
3. Sa	ge.A.P & White.C.C, Optimum Systems Control, Prentic	e Hall			
	Course Plan				
			Semester		
Module	Contents	Ho	urs Exam		
		4	Marks		
1	Optimal control problem - Problem formulation	n - 4	15%		
	Mathematical model – Physical constraints – Perform	nance			
	measure – Optimal control problem – Form of op	otimal			
	Control – Performance measures for optimal control pro				
	- Selection of performance measure -Open loop and C				
	optimal control problems. Control form of perform	S 101			
	opulliar control problems – General form of periori	liance			
TT	Fundamental concepts and theorems of calculus of varia	otions 6	1504		
11	Fuller Lagrange equation and extremal of function	nale	1.3 70		
	the variational approach to solving optimal control pro-	hlome			
	Hamiltonian approach to solving optimal control pro-	timel			
	- mannoman and unrerent boundary conditions for of	minai			
FIRST INTERNAL EXAMINATION					
ш	LINEAR OLADRATIC OPTIMAL CONTROL SVST	FM - 8	15%		
111	Problem formulation _ Finite time Linear Ou	dratic	1.5 /0		
	1 roben formulation – Philice time Ellical Qua	aranc			
II III	<ul> <li>measure – Optimal control problem – Form of opticontrol – Performance measures for optimal control proprocessory of performance measure - Open loop and control problems of optimal control. Performance measure optimal control problems – General form of performance measure</li> <li>Fundamental concepts and theorems of calculus of variational approach to solving optimal control problem</li> <li>Fundamina and different boundary conditions for opticontrol problem</li> <li>FIRST INTERNAL EXAMINATION</li> <li>LINEAR QUADRATIC OPTIMAL CONTROLSYST</li> <li>Problem formulation – Finite time Linear Quadratic</li> </ul>	oblem         oblem         closed         closed         es for         nance         ations       6         nals         oblems         otimal         EM       8         dratic	15%		

	Time-invariant case – Stability issues of Time-invariant regulator, Linear Quadratic Tracking system: Finite time case and Infinite time case— Optimal solution of LQR problem Different techniques for solution of algebraic Riccati equation LQG Problem			
IV	DISCRETE TIME OPTIMAL CONTROL SYSTEMS Variational calculus for Discrete time systems – Discrete time optimal control systems:-Fixed final state and open- loop optimal control and Free-final state and open-loop optimal control, Closed loop optimal control matrix difference Riccati equation – optimal cost function Discrete time linear state regulator system – Steady state regulator system		20%	
SECOND INTERNAL EXAMINATION				
V	Dynamic Programming:- Principle of optimality, optimal control using Dynamic Programming –Interpolation-A recurrence relation of dynamic programming-Computational procedure for solving Control problems-Discrete linear regulator problems, Hamilton Jacobi-Bellman Equation – Continuous linear regulator problems	9	20%	
VI	CONSTRAINED OPTIMAL CONTROL SYSTEMS – Pontryagin's minimum principle and sate inequality constraints –Minimum Time optimal problems Minimum control effort Problems – Optimal Control problems with State Constraints	7	20%	
END SEMESTER EXAMINATION				

## **QUESTION PAPER PATTERN:**

## Maximum Marks:100

## Part A

Answer any two out of three questions uniformly covering Modules 1 and 2 together. Each question carries 15 marks and may have not more than four sub divisions.

Estd.

## Part B

Answer any two out of three questions uniformly covering Modules 3 and 4 together. Each question carries 15 marks and may have not more than four sub divisions.

(15 x 2 = 30 marks)

(15 x 2 = 30 marks)

Exam Duration: 3 Hours

## Part C

Answer any two out of three questions uniformly covering Modules 5 and 6 together. Each question carries 15 marks and may have not more than four sub divisions.

(20 x 2 = 40 marks)

# 2014